

On interoperable trust negotiation strategies

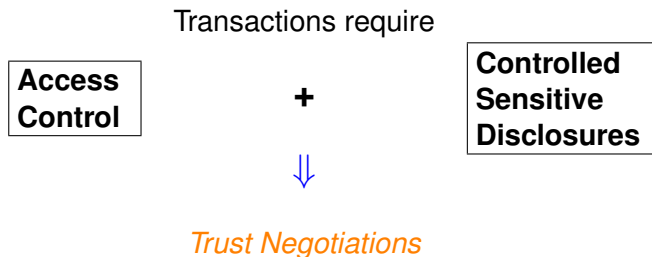
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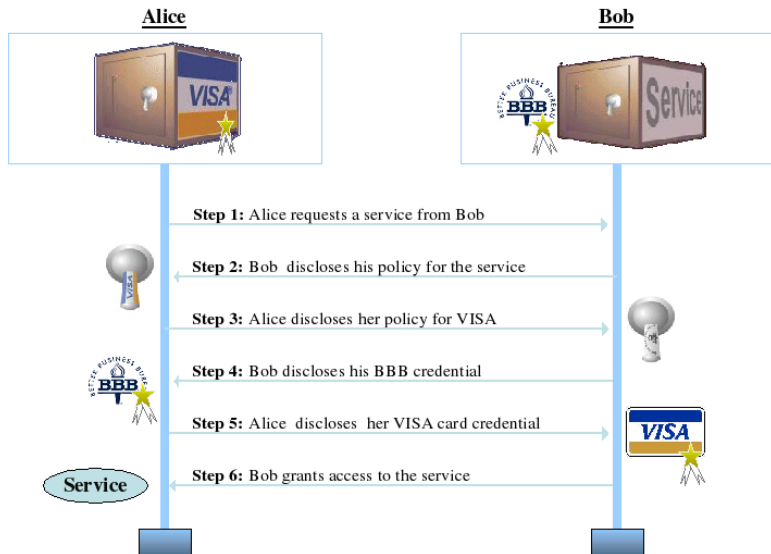
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Context

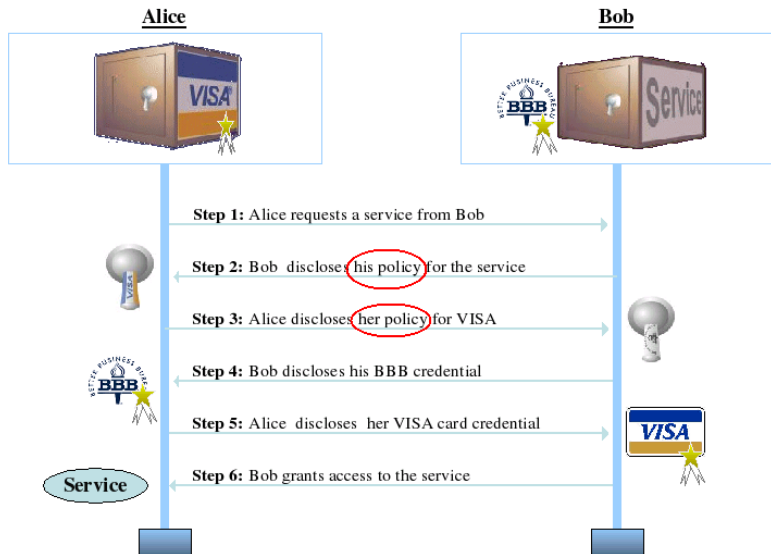
In Trust Negotiation Frameworks such as
TRUST BUILDER, RT, PEER TRUST, PROTUNE



Context



Context



Context

Many Trust Negotiation Frameworks protect peers' policies:

Example

- a bank grants special treatments to rich customers
- many other customers would not appreciate such privileges

Context

A negotiation may fail

- because peers' negotiation strategies don't release all of the policy
- even if the peers' policies permit a successful transaction

Our Goal

Guidelines for **Negotiation Strategies** that

- 1 make transactions succeed keeping partially secret both policies and sensitive information

Another goal:

- 2 reduce the amount of sensitive information released

Previous approaches

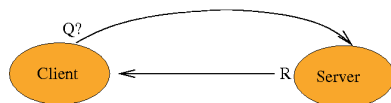
Previous approaches:

- start from desirable "good" properties for negotiation strategies for *designing* a family of strategies that work well together.

Our Approach

Our approach:

- starts from the motivations that drive peers in releasing information for *deriving* negotiation strategies:
 - Servers want to publish services
 - Client want to access to services
 - *making transactions succeed*



As side effect we obtain a "good" property:

Interoperability: strategies yield a successful negotiation whenever the policies of the involved peers permit it.

Abstract Negotiation Framework

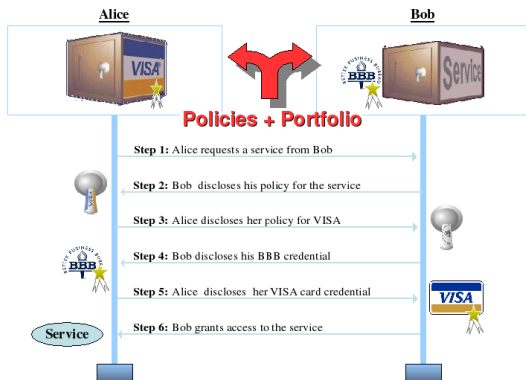
Policy language \mathcal{L} :

- a set of policy items
 - policy rules
 - portfolio: digital credentials, declarations

Abstract Negotiation Framework

Policies + Portfolio :

- finite subsets of \mathcal{L}
- all the information that a peer has for negotiating a resource



Abstract Negotiation Framework

The semantics of policies is modelled by

$$\text{unlocks} \subseteq \wp(\mathcal{L}) \times \mathcal{L}$$

P unlocks x iff P allows x to be released

Monotonicity : if we add more policy rules and credentials to a policy then the set of unlocked policy items increases [K. Seamons et al., *Requirements for policy languages for trust negotiation.*]

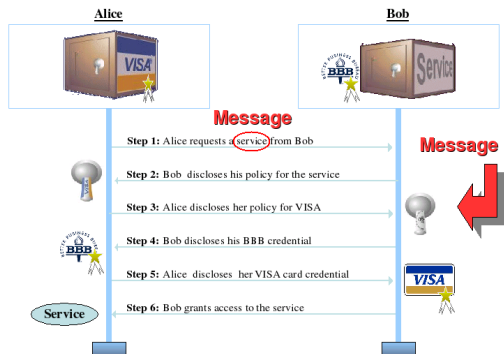
Expressiveness :

$\forall q \in \mathcal{L}$ there exists a finite $P \subseteq \mathcal{L}$ s.t. P unlocks q

Abstract Negotiation Framework

Messages :

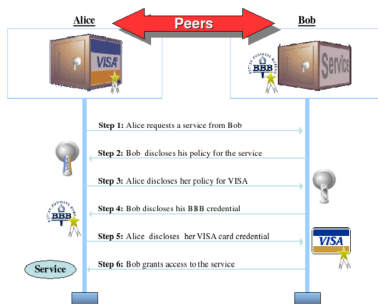
- a finite subset of \mathcal{L}
- information exchanged between a client and a server for negotiating a resource
- client's requests for a resource



Abstract Negotiation Framework

Peer : a pair $A = (P_A, R_A)$

- P_A : *policy + portfolio*
- $R_A : Msgs^* \rightarrow Msgs$ is a *release strategy*



- Given the past history of negotiation, a *release strategy* prescribes the next "move" of a peer.

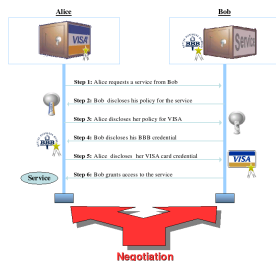
Abstract Negotiation Framework

Transaction $T = \langle A, B, \text{res}, F \rangle$

- A (**client**) and B (**server**) are peers;
- $\text{res} \in \mathcal{L}$ is a policy item (the *initial request*, $\text{res} \in P_B$);
- $F \subseteq \text{Msgs}^*$ is a *failure criterion*, i.e. the set of all possible failed negotiations.

Abstract Negotiation Framework

Negotiation nego(T) induced by T , R_A and R_B



- the finite or infinite sequence of messages $\mu = \mu_0\mu_1\dots\mu_k\dots$ mutually exchanged between A and B
- $\mu_0 = \{\text{res}\}$
- nego(T) terminates when
 - nego(T) $\in F$ (negotiation is failed)
 - res $\in \bigcup_{i=1}^{|\mu|} \mu_i$ (negotiation is successful)

Abstract Negotiation Framework

- To get our results we have
 - to restrict the class of peers that we study
 - to fix a failure criterion

Negotiation Framework

$$\Psi = (\mathcal{C}, F)$$

- \mathcal{C} : a class of peers;
- F : a failure criterion.

Peers classification

Truthful: for all $hist$, $R_A(hist) \subseteq P_A$

- No item is "invented".

Secure: for all $hist$, $R_A(hist) \subseteq \text{unlocked}(P_A, hist)$

- The disclosure policy is preserved.

Monotonic: if $\text{released}(hist) \subseteq \text{released}(hist')$

$$R_A(hist) \subseteq R_A(hist')$$

- The more information is received, the more information is released

Monotonic servers are of practical interest

- A better characterization of the client lets the server present a wider range of choices to get the desired resource.

Failure Criteria and Termination

Vacuous Messages

- equivalent to empty message;
- it carries no new information.

Failure criteria F_k

- a negotiation fails after k consecutive *vacuous messages*.

Negotiation Framework

Next we focus on the negotiation framework

$$\Psi = (\mathcal{C}, F_k)$$

F_k : a failure criterion with $k > 0$

\mathcal{C} :

- monotonic servers
- canonical (truthful and secure) peers
 - If A and B are truthful, termination is guaranteed.

Starting point: what do peers want?

Peers are **selfish** :

- their only goal is to make transactions succeed

Cooperativeness:

- Cooperative peers are those whose strategies maximize the set of successful transactions.

Towards guidelines

n-cautious peers

- after n vacuous messages
- if A has something to release

$$\text{unlocked}(P_A, \text{hist}) \not\subseteq \text{released}(\text{hist})$$

- then A releases something

$$R_A(\text{hist}) \not\subseteq \text{released}(\text{hist})$$

weakly n-cautious peers

- after n vacuous messages
- if A has something to release that *could be useful*
- then A releases something.

Interacting with monotonic servers

Theorem

A peer A is cooperative w.r.t. monotonic peers iff A is $(k - 2)$ -cautious.

- To make a client A cooperative with monotonic servers, it is necessary and sufficient to program A 's strategy in a $(k - 2)$ -cautious way.
- But how to make a monotonic server cooperative w.r.t. a $(k - 2)$ -cautious client?

Interacting with $(k - 2)$ -cautious peers

Theorem

A peer B is cooperative with all $(k - 2)$ -cautious peers iff B is weakly $(k - 2)$ -cautious.

- To make a server B cooperative with $(k - 2)$ -cautious clients, it is necessary and sufficient to program B 's strategy in a weakly $(k - 2)$ -cautious way.

Note: for efficiency it might be preferable to adopt cautiousness as an approximation of weak cautiousness.

Summary

In any negotiation framework

- $\Psi = (\mathcal{C}, F_k)$
- monotonic servers
- selfish peers (cooperative)

strategies must be

- $(k - 2)$ -cautious on clients
- weakly $(k - 2)$ -cautious on servers

Implications

Unexpected side effects

- *each client is INTEROPERABLE with each server*
- *each client is INTEROPERABLE with each client*

Interoperability:

- whenever a successful transaction is possible, the strategies find some
- even if the policies are partially kept secret

Further Guidelines

How to choose a value for parameter k of F_k :

- k even (to avoid exploits)
- preferably $k = 2$

See the paper.

Future Work

Sensitivity Minimizing

- guidelines to program release strategies that minimize the amount of sensitivity of information disclosed during a negotiation

More on k in F_k - Even k vs. Odd k

Odd values of k allow exploits even if both A and B are $(k - 2)$ -cautious

- A may send vacuous messages until B is forced to disclose something 2 steps before failure
- If B sends a vacuous message 2 steps before failure, then it really means it can't release anything else
- A can still disclose something at the last step and keep the negotiation alive
- Very bad for privacy – deprecated

More on k in F_k - Even k vs. Odd k

Even values are ok

- The peer that starts the vacuous sequence is also the peer that must release something 2 steps before failure
- Optimal value: $k = 2$
- No vacuous messages unless a peer really can't release anything new

Negotiations

Negotiation $\text{nego}(T)$ induced by $T = \langle A, B, \text{res}, F_k \rangle$, R_A and R_B

- the finite or infinite sequence of messages $\mu = \mu_0\mu_1\dots\mu_k\dots$
s.t.
 - $\mu_0 = \{\text{res}\}$;
 - for all even $i \in \mathbb{N}$, $\mu_{i+1} = R_B(\mu_{\leq i})$;
 - for all odd $i \in \mathbb{N}$, $\mu_{i+1} = R_A(\mu_{\leq i})$;
 - for all $i \in \mathbb{N}$, if $\text{res} \in \mu_i$ or $\mu_{\leq i} \in F$, then $\mu = \mu_{\leq i}$.

Cooperativeness

A peer A is *cooperative* w.r.t. a class of peers \mathcal{C} , if no A' is s.t.

- A and A' have the same policy P ,
- for all $B \in \mathcal{C}$ and all Ψ -transactions T involving A and B ,
 $val(T) \leq val(T[A'/A])$,
- for some $B \in \mathcal{C}$ and some Ψ -transaction T involving A and B ,
 $val(T) < val(T[A'/A])$.

n -cautiouness

A peer A is *n -cautious* if

- for all transactions T involving A
- and all prefixes μ of $nego(T)$,
- if μ has a vacuous tail whose length is $\geq n$
- then

$$\text{unlocked}(P_A, \mu) \not\subseteq \text{released}(\mu) \Rightarrow R_A(\mu) \not\subseteq \text{released}(\mu)$$

(i.e., $R_A(\mu)$ is not vacuous)

weak n -cautiouness

A peer A is *weakly n -cautious* if

- for all transactions T involving A
- and all prefixes μ of $\text{nego}(T)$,
- if μ has a vacuous tail whose length is $\geq n$ and
- if $R_a(\mu)$ is vacuous then T fails while
- T can be successful,
- then

$$\text{unlocked}(P_A, \mu) \not\subseteq \text{released}(\mu) \Rightarrow R_A(\mu) \not\subseteq \text{released}(\mu)$$

(i.e., $R_A(\mu)$ is not vacuous)